Section 1-2

In this section we will discuss the undefined terms point, line, and plane. These figures are intuitive and approximate examples can be seen in our every day lives.



Ā

Point - the simplest figure in geometry.

A point has <u>no size and no dimension</u>.

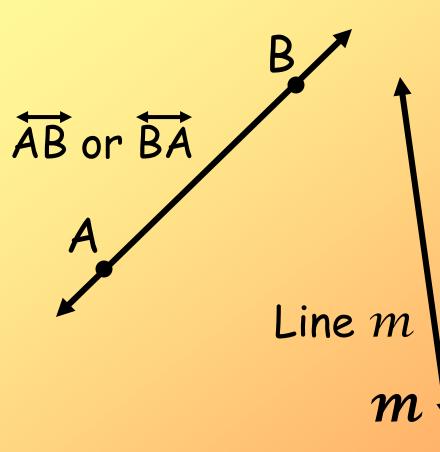
Notation: <u>Points are named by capital letters.</u> Example: Points A and B

B

Line: <u>An infinite set of points that extend in two</u>

A line has <u>only one dimension</u>.

Notation: <u>two points that lie on the line or by using a</u> <u>lower case letter.</u>



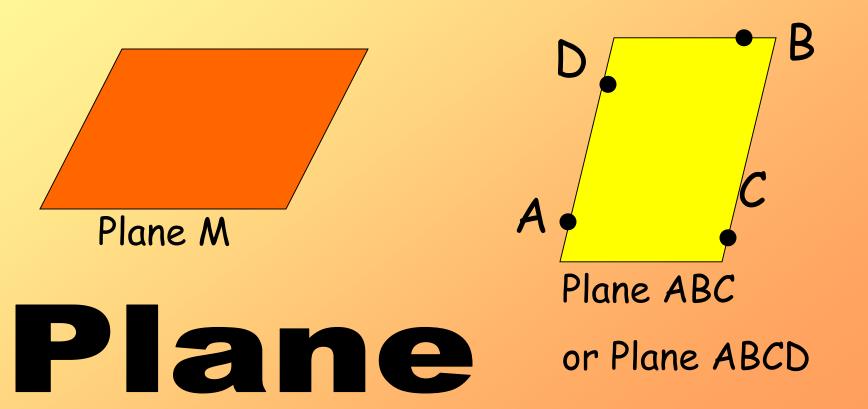
✓ Given any two points, you can draw exactly one line.

 ✓You can draw an <u>infinite amount</u> of lines through one point.

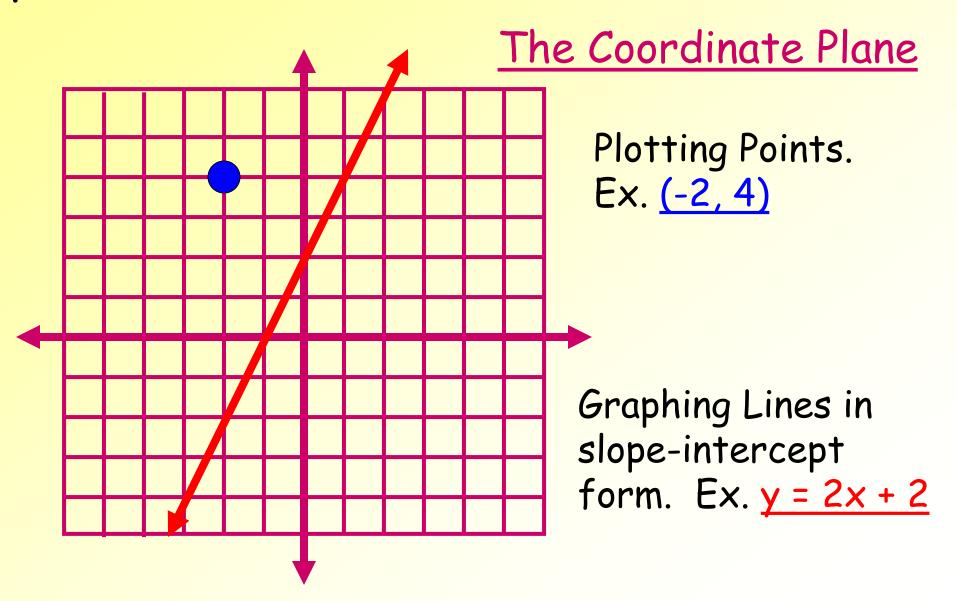


Plane: <u>two dimensional figure that extends in</u> <u>both dimensions forever and has no</u> <u>thickness.</u>

Notation: <u>by one capital letter or by three to four</u> <u>points that lie in the plane.</u>



Where have you seen points, lines, and planes before in math class?

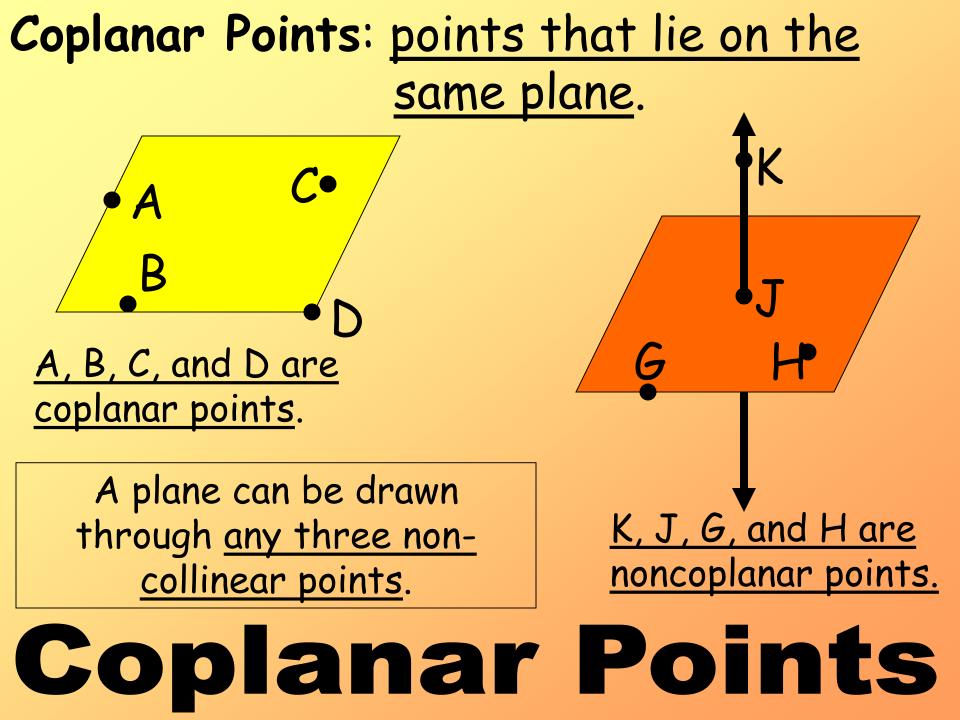


<u>Space</u> is the set of all points. Space has <u>three</u> <u>dimensions</u>.

 \mathbf{D}

Collinear Points: points that lie on the same line. • E Are A and B collinear points? <u>Yes!</u> In fact any two points are collinear. We can always draw exactly one line A, C, and D are collinear points. between two given points. B, C, and D are noncollinear points.

Collinear Points

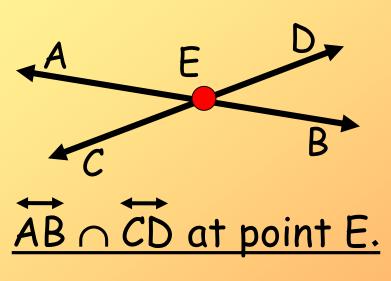


The intersection of two figures is the <u>set of points that</u> are in both figures.

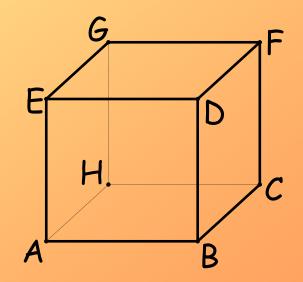
Intersection of Figures

The symbol for "to intersect" is \cap

If two lines intersect, then they intersect at a <u>point</u>.

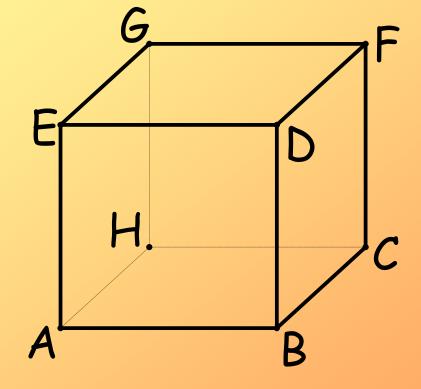


If two planes intersect, then they intersect at a <u>line</u>.



Plane ABDE
Plane GFDE at DE.

Intersection Examples:



- 1. Plane GEDF \cap Plane DFBC at DF.
- 2. Plane EDBA \cap Plane GEAH at \overrightarrow{EA} .
- 3. $\overrightarrow{DB} \cap \overrightarrow{DF}$ at Point D.
- 4. $\overrightarrow{EF} \cap \overrightarrow{EA}$ at Point E.